

Scheme of Work 2020 – 2021 (HT1)

Subject: A2 Physics

Year Group: 13

Specification: AQA 7408

Lesson No	Topic & Objectives	Big Question – What will students learn?	Key Activities & Specialist Terminology (Do Now Task / Starter/Tasks/Plenary)	Planned Assessment	Homework or flipped learning resources DODDLE resources	Lit Num SMSC Codes
1	<p>3.6.1.1 Circular motion</p> <p>Motion in a circular path at constant speed implies there is an acceleration and requires a centripetal force.</p> <p>Magnitude of angular speed</p> $\omega = v / r = 2\pi f$ <p>Radian measure of angle.</p> <p>Direction of angular velocity will not be considered.</p>	<p>Motion in a circular path at Understand and explain why circular motion is an accelerated motion and needs a centripetal force.</p> <p>Recall and use equations $\omega = v / r = 2\pi f$, $a = v^2 / r = \omega^2 r$, $F = mv^2 / r = m\omega^2 r$, to solve circular motion problems.</p> <p>Use radian as a measure of angle and convert between radians and degrees Identify and calculate centripetal forces in contexts such as a mass whirled on a string and a car rounding a bend.</p>	<p>Discussion and demonstration of circular motion, for example stone/bucket of water on a string, helium balloon in car.</p> <p>Student experiment: Verification of the centripetal force experiment with a whirling bung.</p> <p>Rehearse circular motion problems (including use of radians) from IOP.</p> <p>Skills developed by learning activities:</p> <p>AO1: Demonstrate knowledge and understanding of circular motion as an accelerated motion AO2: Apply knowledge and understanding of forces to identify and calculate centripetal forces.</p> <p>MS4.7: Understand the relationship between degrees and radians and translate from one to the other in circular motion problems.</p> <p>ATc: Use methods to increase accuracy of measurements, such as timing over multiple rotations in circular motion experiment.</p> <p>AO2: Apply knowledge and understanding of forces to identify and calculate centripetal forces.</p> <p>MS4.7: Understand the relationship between degrees and radians and translate from one to the other in circular motion problems.</p>	<p>. Exampro</p> <p>QSP.4A.06 QBS04.4.02</p>	<p>Rich question:</p> <p>What forces do you experience when travelling round a corner at constant speed?</p> <p>Helium Balloon in a car video clip.</p> <p>Verification of the centripetal force experiment with a whirling bung – schoolphysics.co.uk</p> <p>Circular motion problems from IOP</p>	<p>C3</p> <p>C3</p>

	<p>Centripetal acceleration The derivation of the centripetal acceleration formula will not be examined.</p> <p>Centripetal force</p> $F = mv^2/r = m\omega^2 r$		<p>ATc: Use methods to increase accuracy of measurements, such as timing over multiple rotations in circular motion experiment.</p>			
2	<p>3.6.1.2 Simple harmonic motion (SHM) Analysis of characteristics of simple harmonic motion (SHM).</p> <p>Condition for SHM: $a \propto -x$</p> <p>Defining equation: $a = -\omega^2 x$</p> <p>$x = A \cos(\omega t)$ and $v = \pm \omega \sqrt{A^2 - x^2}$</p>	<p>Recall the condition for SHM : $a \propto -x$</p> <p>Solve problems using the equations of SHM :</p> $x = A \cos(\omega t) \text{ and } v = \pm \omega \sqrt{A^2 - x^2}$ $v_{max} = \omega A$ $a_{max} = \omega^2 A$ <p>Recognise and use the concept of the gradient of the $x - t$ graph leading to the $v - t$ graph, and the gradient of the $v - t$ graph leading to the $a - t$ for SHM.</p>	<p>Students observe examples of SHM (IOP observing oscillations). They describe the characteristics observed eg velocity is maximum at centre; period is independent of amplitude; need for a restoring force directed to the centre of the motion. Give the condition for SHM as $a \propto -x$.</p> <p>Discuss relationship between x, v and a using observations and an animation such as that provided by University of New South Wales.</p> <p>Students use motion sensors and/or spreadsheets to plot $v - t$ and $x - t$ graphs for SHM. Students should use the relationship between x, v and a graphs when explaining and processing the results of this work.</p> <p>Use Exampro questions to rehearse problem solving using SHM equations and knowledge and understanding of graphs.</p> <p>Skills developed by learning activities:</p> <p>AO1: Demonstrate knowledge and understanding of conditions for SHM by investigating different examples of oscillations.</p>	<p>Exampro</p> <p>QBW05.5.04 QW124A06 QS11.4A.07 QW11.4A.04 QW11.4A.05 QSP.4A.08</p>	<p>Rich questions:</p> <p>What characteristics do oscillating systems share?</p> <p>IOP observing oscillations</p> <p>SHM animation University of New South Wales.</p> <p>Nuffield Foundation investigating SHM</p>	<p>C3</p> <p>C3</p> <p>C3</p>

	<p>Graphical representations linking the variations of x, v and a with time.</p> <p>Appreciation that the $v - t$ graph is derived from the gradient of the $x - t$ graph and that the $a - t$ graph is derived from the gradient of the $v - t$ graph.</p> <p>Maximum speed $v_{max} = \omega A$</p> <p>Maximum acceleration $a_{max} = \omega^2 A$</p>		<p>AO3: Analyse and interpret data from to reach conclusions on the relationship between x, v and a in a system executing SHM.</p> <p>MS3.9: Apply the concepts underlying calculus by finding the velocity/acceleration from $x - t / v - t$ graphs of SHM.</p> <p>ATk: Use ICT such as computer modelling, or data logger to collect data, or use of software to process data on SHM experiments.</p>			
3	<p>3.6.1.3 Simple harmonic systems Study of mass-spring system:</p>	<p>structure and support students should be able to derive the equations for mass-spring and simple pendulum.</p> <p>Use the mass-spring and pendulum equations to solve SHM problems.</p>	<p>With support students derive the equations for the mass-spring system and pendulum.</p> <p>Rehearse mass-spring, pendulum and other harmonic oscillator problem solving using Exampro questions.</p> <p>Required practical investigation using a mass-spring and pendulum system. Students confirm</p>	<p>Exampro</p> <p>QS13.4A.09 QW11.4A.07 QS13.4.03 QBS04.4.03</p>	<p>Rich questions:</p> <p>How should a suspension system work to give the smoothest possible ride?</p> <p>Mass-spring resources from IOP</p>	C3

<p>$T = 2\pi \sqrt{\frac{m}{k}}$</p> <p>Study of simple pendulum:</p> <p>$T = 2\pi \sqrt{\frac{l}{g}}$</p> <p>Questions may involve other harmonic oscillators (Eg liquid in U-tube) but full information will be provided in questions where necessary.</p> <p>Variation of E_k, E_p, and total energy with both displacement and time. Effects of damping on oscillations.</p> <p>Required practical 7: Investigation into simple harmonic</p>	<p>Recognise other harmonic oscillators and apply knowledge and understanding of mass-spring and pendulum to solve problems in different contexts.</p> <p>Describe the energy changes that take place in SHM and sketch graphs of variation of E_k, E_p and total energy with displacement and time.</p> <p>Describe the effects of damping on oscillations including sketching appropriate graphs of damped systems.</p>	<p>mathematical relationships between variables, for period and mass in the mass-spring system.</p> <p>Students compare the form of the mass-spring and pendulum systems.</p> <p>Discuss the energy changes that occur during SHM using the Nothing Nerdy simulation.</p> <p>Students observe damped systems such as water in a U-tube or a damped spring. Different degrees of damping illustrated practically or with a simulator.</p> <p>Skills developed by learning activities:</p> <p>AO2: Apply knowledge and understanding of scientific ideas to derive the equations for the mass spring and pendulum systems.</p> <p>AO3: Analyse and interpret data from to reach conclusions on the relationship between variables in oscillating systems.</p> <p>MS 4.6 / AT b, c</p> <p>Students should recognise the use of the small-angle approximation in the derivation of the time period for examples of approximate SHM. A step method using a spread sheet to model SHM and damped SHM.</p> <p>The exponential decay of a damped system investigated mathematically.</p>		<p>Pendulum resources from IOP</p> <p>Nothing Nerdy Energy simulation</p> <p>Practical investigation of damped motion from school physics.co.uk</p> <p>Damped motion simulator</p>	<p>C3</p> <p>C3</p> <p>C3</p> <p>C3</p>
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	motion using a mass–spring system and a simple pendulum					
4	<p>3.6.1.4 Forced vibrations and resonance</p> <p>Qualitative treatment of free and forced vibrations.</p> <p>Resonance and the effects of damping on the sharpness of resonance.</p> <p>Examples of these effects in mechanical systems and situations involving stationary waves.</p>	<p>Recognise free and forced vibrations and describe the difference between them.</p> <p>Sketch a typical frequency response curve for a forced vibration to show the sharpness of response and the effect of damping.</p>	<p>Demonstration and discussion of Barton’s pendulum.</p> <p>Student experiments on resonance from IOP (hacksaw blade, book on string etc.). Students report back to group on one of the experiments.</p> <p>Students investigate the effect of damping on resonance curves using a simulation from PHET.</p> <p>Student experiment: Determination of the Speed of Sound using resonance of an air column.</p> <p>Resonance case studies: car suspension system questions and resources from IOP; Tacoma bridge disaster; shattering a glass with your voice.</p> <p>Skills developed by learning activities:</p>	<p>Exampro</p> <p>QSP.4A.10</p> <p>Antonine education questions on vibrations.</p>	<p>Rich question:</p> <p>Is it possible to shatter a glass with your voice alone?</p> <p>Scientific American Article– Fact or Fiction Opera Singer breaking a glass</p> <p>Mythbuster Shattering a glass with your voice from YouTube</p> <p>Student experiments on resonance from IOP</p> <p>PHET resonance simulation</p> <p>Determining the speed of sound using an air column</p> <p>Car suspension systems and Tacoma bridge from IOP</p>	<p>C3</p> <p>C3</p> <p>C3</p> <p>C3</p> <p>C3</p> <p>C3</p>
5	<p>3.6.2.1 Thermal energy transfer</p> <p>Calculations involving</p>	<p>Recall the definition of specific heat capacity and specific latent.</p> <p>Understand and apply the equation $Q = mc\Delta\theta$ to solve thermal energy transfer</p>	<p>Discuss the difference between temperature and heat.</p> <p>Demonstration of the ‘Fire proof balloon’ leading to concept and definition of specific heat capacity.</p> <p>Students measure the heat capacity of different substances using a variety of methods.</p>	<p>Exampro</p> <p>QS13.5.03</p> <p>QS12501</p> <p>QAS03.2.01</p>	<p>Rich questions:</p> <p>You can put out a candle with moist fingers (800 °C) but putting your hand in boiling water is very dangerous (100 °C). Explain how.</p>	

	<p>transfer of energy.</p> <p>For a change of temperature:</p> $Q = mc\Delta\theta$ <p>Where c is specific heat capacity.</p> <p>Calculations including continuous flow.</p> <p>For a change of state $Q = ml$ where l is the specific latent heat.</p>	<p>problems including in continuous flow.</p> <p>Understand and apply the equation $Q = ml$ to solve thermal energy transfer problems where there</p>	<p>Demonstration and discussion of changes of state without temperature change eg water boiling, stearic acid freezing.</p> <p>Students measure a specific latent heat, for example ice.</p> <p>Rehearsal of specific heat and latent heat examination questions from cyberphysics.co.uk.</p> <p>Skills developed by learning activities:</p> <p>AO1: Demonstrate knowledge and understanding of specific heat and specific latent heat.</p> <p>AO2: Apply knowledge and understanding of scientific ideas to solve problems involving transfer of thermal energy.</p> <p>MS 1.5 / PS 2.3 / AT a, b, d, f Investigate the factors that affect the change in temperature of a substance using an electrical method or the method of mixtures.</p> <p>Students should be able to identify random and systematic errors in the experiment and suggest ways to remove them.</p> <p>PS 1.1, 4.1 / AT k Investigate, with a data logger and temperature sensor, the change in temperature with time of a substance undergoing a phase change when energy is supplied at a constant rate.</p>		<p>Fire proof balloon demonstration and notes.</p> <p>Measuring Heat Capacity from IOP</p> <p>Measuring Latent heat of ice from IOP</p> <p>Specific Heat and Latent heat questions from Cyberphysics.co.uk</p>	<p>C3</p> <p>C3</p> <p>C3</p> <p>C3</p>
6	<p>3.6.2.2 Ideal gases Gas laws as experimental relationships between p, V, T and the mass of the gas.</p>	<p>that give the relationships between p, V and T and the mass of a gas. Express these in words, algebraically and graphically.</p> <p>Understand the concept of absolute zero of temperature and how the gas laws lead to</p>	<p>Students investigate Boyle's Law and Charles's Law. Students extrapolate their results to find absolute zero and evaluate the experiment.</p> <p>Discuss the Kelvin temperature scale and students practise converting between $^{\circ}C$ and K.</p> <p>Discussion of how to combine the gas law expressions to find the Ideal gas equation. Students</p>	<p>Exampro</p> <p>QS13.5.04</p> <p>QS12504</p>	<p>Rich questions:</p> <p>What is the best scale for measuring temperature?</p> <p>Boyle's Law and Charles Law investigations from CLEAPPS</p>	<p>C3</p>

<p>Concept of absolute zero of temperature.</p> <p>Ideal gas equation: $pV = nRT$ for n moles and $pV = NkT$ for N molecules.</p> <p><i>Work done</i> $= p \Delta V$</p> <p>Avogadro constant N_A, molar gas constant R, Boltzmann constant k.</p> <p>Molar mass and molecular mass.</p> <p>Required practical 8: Investigation of Boyle's law (constant temperature) and Charles's law (constant pressure) for a gas.</p>	<p>the existence of this temperature.</p> <p>Derive the equation <i>Work done</i> $= p \Delta V$</p> <p>Understand and use the terms: Avogadro constant, molar mass, molecular mass.</p> <p>Use the gas law equations <i>Work done</i> $= p \Delta V$ to solve problems on the behaviour of gases.</p>	<p>to be familiar with all of the relevant terms: N, k, N_A, R, Molar Mass and molecular mass. Write a science dictionary entry for each.</p> <p>With support students derive the equation for the work done on/by a gas: <i>Work done</i> $= p \Delta V$.</p> <p>Rehearsal of calculations using IOP and www.s-cool.co.uk questions</p>		<p>IOP questions on Ideal Gases.</p> <p>www.s-cool.co.uk examination style questions</p>	<p>C3</p> <p>C3</p>
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7	<p>3.6.2.3 Molecular kinetic theory model</p> <p>Brownian motion as evidence for existence of atoms.</p> <p>Explanation of relationships between p, V and T in terms of a simple molecular model.</p> <p>Students should understand that the gas laws are empirical in nature whereas the kinetic theory model arises from theory.</p> <p>Assumptions leading to</p> $pV = \frac{1}{3} N m (c_{rms})^2$ <p>including derivation of the equation and calculations.</p>	<p>Describe Brownian motion and understand how it provides evidence for the existence of atoms.</p> <p>Explain relationships between p, V and T in terms of a simple molecular model.</p> <p>Understand that the gas laws are empirical in nature whereas the kinetic theory model arises from theory.</p> <p>Know the assumptions of the kinetic theory and the derivation of</p> $pV = \frac{1}{3} N m (c_{rms})^2$ <p>Use the equations the kinetic theory to solve problems.</p> <p>Describe how knowledge and understanding of gaseous behaviour has changed over time.</p>	<p>Observe Brownian motion through a microscope or a video clip. Students explain the observation and discussion of correct explanation using Brownian motion simulator.</p> <p>Demonstration: Kinetic theory model with ball bearings to demonstrate how particle collisions lead the relationship p, V and T. Students rehearse explanations in writing.</p> <p>With support students discuss the assumptions and derivation of the kinetic theory.</p> <p>Students write a short essay on the development of the gas laws from an experimental and theoretical perspective. They peer assess work before handing in for marking.</p> <p>Question practice using examination questions from Cyberphysics.</p> <p>Skills developed by learning activities:</p> <p>AO1: Demonstrate knowledge and understanding of Brownian motion and the development of kinetic theory.</p> <p>AO2: Apply knowledge and understanding of mechanics to derive the kinetic theory equations.</p> <p>Skills developed by learning activities:</p> <p>AO1: Demonstrate knowledge and understanding of Brownian motion and the development of kinetic theory.</p> <p>AO2: Apply knowledge and understanding of mechanics to derive the kinetic theory equations.</p>	<p>Exampro</p> <p>QAW03.2.04 QBS04.4.01 QBSOB6.4.06</p> <p>SAMs Paper 2 Q 3</p>	<p>Rich questions:</p> <p>Suggest and explain conditions under which the kinetic theory would fail to describe the behaviour of a gas?</p> <p>YouTube video clip of Brownian motion</p> <p>Brownian motion simulator</p> <p>Cyberphysics Kinetic theory examination style questions.</p>	<p>C3</p> <p>C3</p> <p>C3</p>
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A simple algebraic approach involving conservation of momentum is required.

Appreciation that for an ideal gas internal energy is kinetic energy of the atoms.

Use of average molecular kinetic energy

$$\frac{1}{2} m (c_{rms})^2 = \frac{3}{2} kT$$

$$= \frac{3RT}{2N_A}$$

Appreciation of how knowledge and understanding of the behaviour of gas has changed over time.

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